Na	me:		F	er:	Date:	Page 1012
Serafino • Precalculus S1						
	3D	Circles in Radians				
		Notes / Classwork				-2 $-1$ 0 1 2 3 4 5 6 7 -1. (3, -2) (3, -2)
		ION OF A CIRLCE:	$(x - h)^{2} + (y - k)^{2} = r^{2}$ $(x - 3)^{2} + (y + 2)^{2} = 16$	where (h,	k) is center	-2 -3 -3 -5
1. Find the requested information. Sketch if necessary.						-6
	a. Center: (5, –2) Radius: 6		b. Center (-4, 0) Diameter 10			
		Equation:			Equation:	
		Domain:			Domain:	
		Range:			Range:	
c.	Ce	enter (0, 3): Radius: V14		d. Center at the origin, Diameter: $6\sqrt{2}$		
		Equation:			Equation:	
		Domain:			Domain:	
		Range:			Range:	
2.	Wr	ite the equations of the o	ircle:			

a. Center (3, 7) Point on circle: (6, 11)

c. Center (-2, 5), Point on circle: (-3, 7)

b. Center is the origin, Point: (-2, -6)

- 3. **Determine if a point is on the circle:** Think about the relationship between x, y and the radius.
- a. Are the following points on the Unit Circle?
  - $\left(\frac{\sqrt{5}}{3}, \frac{\sqrt{2}}{3}\right) \qquad \left(\frac{-\sqrt{2}}{5}, \frac{\sqrt{32}}{5}\right) \qquad \left(\frac{-\sqrt{2}}{2}, \frac{-\sqrt{2}}{2}\right)$
- b. A circle has the equation:  $(x 2)^2 + (y 3)^2 = 8$ . Are the following points in, on, or outside the circle?
  - (-1, 3) (4, 5) (0, 1) (2, 5)
- 4. Name the coordinates of the point (x, y) intersected by the terminal side of an angle,  $\Theta$ , in standard position. If the angle is special, give an exact value as well as an approximation.
- a. r = 3,  $\Theta = \pi/3$  c. r = 5  $\Theta = 5\pi/4$  e. r = 6  $\Theta = 5\pi/3$
- b.  $r = 4 \ \Theta = 7\pi/30$  d.  $r = 20 \ \Theta = 199\pi/180$  f.  $r = 10 \ \Theta = 5\pi/9$
- 5. Approximate a solution for  $\Theta$ , where  $0 \le \Theta < 2\pi$  for a circle with a center at the origin:
- a. r = 3, Point (2.8978, 0.7765) b. r = 6 Point (3,  $3\sqrt{3}$ ) c.  $r = \sqrt{2}$  Point: (1, 1)
- 6. Find the length of the arc between the points on a circle with a center at the origin:
- a. r = 5, A (4.5315, 2.1131) B (0.4358, 4.981)
- b. r = 7, C(2.3941, 6.5778) D(0, -7)